

Atomic structure

Model Before Bohr's model

Quantum mechanical model of atom

Discoveries Before Bohr's model

Discoveries Before Quantum mechanical model of atom

Bohr's Model of atom



Models Before Bohr's model of atom

Dalton's Atomic Theory

- Matter → made up of → Atoms
- Atoms → indivisible
- Atoms → same element → Identical
 - Shape
 - Size
 - properties
- Atoms → Different element → Different
 - Shape
 - Size
 - properties
- Chemical reaction → Rearrangement of atoms.

Explan ⇒ law of Conservation of mass, Definite proportion, & multiple proportion.

Thomson's Model of atom

- Cathode rays
- starts from cathode
 - travels in straight line [in absence of Electrical & Magnetic field]
 - invisible but observed [with fluorescent & phosphorescent material]
 - Doesn't depend upon
 - cathode material
 - gas present in cathode tube
- $\frac{e}{m} = 1.75 \times 10^{11} \text{ C kg}^{-1}$
- ★ Thomson Plum-pudding model explain overall neutrality of atom but not consistent with the later experiments.

Rutherford's model of atom

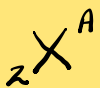
Gold foil → Heavy & stable nucleus

- Atoms → nucleus → Centre → small in size & heavy
- Nucleus → All the charge & mass
- Nucleus → protons + neutrons ← neutrons
- e⁻ revolve → around nucleus.

Application of Rutherford Model

- Diameter of nucleus → 10^{-14} cm
- Diameter of atom → 10^{-8} cm
- Volume of atom = 10^{15} × Volume of nucleus
- Radius of nucleus = $R_0 A^{1/3}$ [$R_0 = 1.33 \times 10^{-15} \text{ cm}$, A → Mass number]
- Density of nucleus = $\frac{3}{4\pi R_0^3} \Rightarrow$ Constant for all atoms.
- $\frac{d\theta}{d\alpha} = \left[\frac{\sin \frac{\alpha}{2}}{\sin \frac{\theta}{2}} \right]^2$
 - θ → Angle of α particle deviation
 - α → no. of α particles

Could not explain stability of atom.



no. of protons = Z
no. of electrons = Z [Neutral atom]

no. of neutrons = A - Z



$$\bar{e} = Z - n$$



$$\bar{e} = Z + n$$

Isotopes: Same atoms but different mass number

Isobar: Different atoms but same mass number

Isotones: Same number of neutrons

Isoelectronic: Same number of e⁻s.

Discoveries Before Bohr's model of atom

- ⊙ Electromagnetic waves
- ⊙ Black-Body Radiation
- ⊙ Planck's Quantum Theory
- ⊙ photoelectric effect
- ⊙ Spectrum

E.M Waves

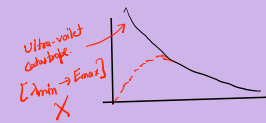
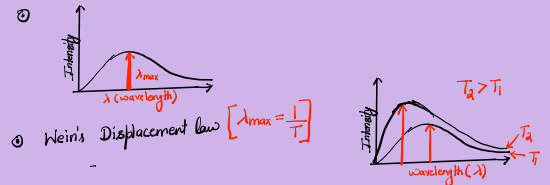
- ⊙ Form of energy
- ⊙ travels → speed of light
- ⊙ Require → No medium
- ⊙ Electric field & Magnetic field ⊥ to each other.

$$\vec{v} = \frac{1}{\lambda} \quad T = \frac{1}{\nu} \quad v\lambda = c$$

R M I L U X G
 → $v \uparrow \quad \lambda \downarrow \quad E \uparrow$

Black-Body Radiation

- ⊙ Perfect absorber & perfect emitter.
- ⊙ Radiation depend on temp. not material.



Planck's Quantum Theory

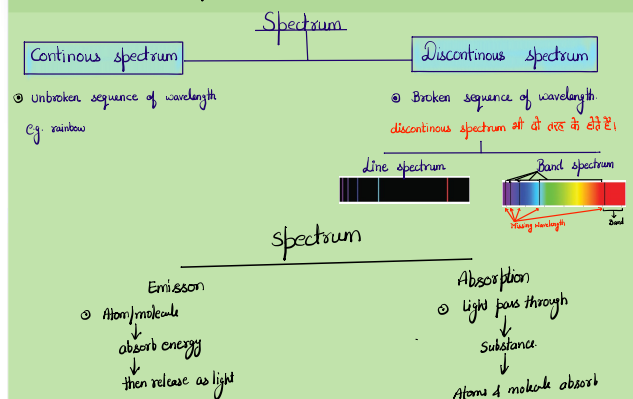
- ⊙ Energy absorbed or emitted in packets ← quantum.
- ⊙ Smallest packet of energy is called quanta & light → photon
- ⊙ $E = h\nu$ ← energy of quanta
- ⊙ $E_{total} = nh\nu$ ← total energy released or absorbed.

photoelectric effect

- ⊙ Ejection of e^- → metal surface → light → suitable energy → falls on it.
- ⊙ Work function → Minimum energy required to show photoelectric effect.
- ⊙ Threshold frequency (ν_0) → minimum frequency to show photoelectric effect.
- *⊙ No. of ejected e^- ∝ Intensity of light (Independent on frequency)
- *⊙ KE / speed of ejected e^- ∝ frequency of light (Independent on intensity)

$$h\nu = h\nu_0 + \frac{1}{2}mv^2$$

Spectrum



Bohr's model of atom

Postulates

- ① \bar{E} allowed in certain orbits ← stationary orbits.
- ② Do not radiate energy in stationary orbits.
- ③ Emission / absorption of light → orbit change
- ④ $\frac{mv^2}{r} = \frac{KZe^2}{r^2}$
- ⑤ $mvr = \frac{nh}{2\pi}$

Derivation

जा दो प्यारे भुगी के अठे उभदा।

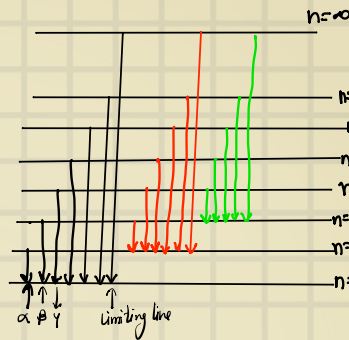
- ① $r = \frac{a_0 n^2}{Z}$ $a_0 = 0.529 \text{ \AA}$ $r = \frac{n^2 h^2}{4\pi^2 m k e^2 Z}$
- ② $v = 2.18 \times 10^6 \frac{Z}{n} \text{ m/s}$
- ③ $PE = -\frac{KZe^2}{r}$ $KE = \frac{KZe^2}{2r}$ $TE = -\frac{KZe^2}{2r}$
 $TE = -KE$ $PE = 2TE$
- $TE = -13.6 \frac{Z^2}{n^2} \text{ eV/atom}$, $21.7 \times 10^{-19} \frac{Z^2}{n^2} \text{ eV/atom}$, $-1312 \frac{Z^2}{n^2} \text{ KJ/mol}$, $-313 \frac{Z^2}{n^2} \text{ kcal/mol}$
- ④ $T \propto \frac{n^3}{Z^2}$ $T = \frac{2\pi n^3 h}{v_n}$

Hydrogen spectrum

* first line of max energy = Lyman
 min λ =
 max ν =

* In any series,
 line of max E,
 max ν , min λ = last
 line.
 line of minimum E = first
 line.

(IR) Humphrey
 (IR) Pfund
 (IR) Brackett
 (IR) Paschen
 (Visible) Balmer
 (UV region) Lyman



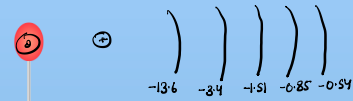
Series	Region	n_2	no. of lines in spectrum
Lyman	UV	1	$n_1 - 1$
Balmer	Visible	2	$n_1 - 2$
Paschen	IR	3	$n_1 - 3$
Brackett	IR	4	$n_1 - 4$
Pfund	IR	5	$n_1 - 5$
Humphrey	IR	6	$n_1 - 6$

$$\bar{\nu} = RZ^2 \left[\frac{1}{n_1^2} - \frac{1}{n_2^2} \right]$$

$R = 109677 \text{ cm}^{-1}$ or 10^5 cm^{-1}
 $R = 10967700 \text{ m}^{-1}$ or 10^7 m^{-1}
 $\frac{1}{R} = 91 \text{ \AA}^2$

$$\text{total no. of lines} = \frac{(n_2 - n_1)(n_2 - n_1 + 1)}{2}$$

$$= \frac{n(n-1)}{2}$$



- ① $IE = \Delta E = E_{\infty} - E_1 = -E_1$
- ② $E \cdot E$ (ground state to Higher orbital (except ∞))
 1^{st} Excited state ($n=2$) $\Rightarrow \Delta E = E_2 - E_1$
- ③ $S \cdot E$ (Excited state to ∞)
 1^{st} Separation energy $\rightarrow \Delta E = E_{\infty} - E_2 = -E_2$

Limitations

- ① not applicable for multielectron atom
- ② Stark & Zeeman effect
- ③ $mvr = \frac{nh}{2\pi}$ (why?)
- ④ fine lines in the spectrum.

Discoveries Before Quantum mechanical model

De-broglie Hypothesis

matter \rightarrow wave nature + particle nature

$$\lambda = \frac{h}{mv}$$

$$\lambda = \frac{h}{\sqrt{2mkE}}$$

$$\lambda = \frac{h}{\sqrt{2mq \cdot V}}$$

$$\lambda = \sqrt{\frac{150}{V}} \text{ \AA}$$

$$2\pi r = n\lambda$$

Heisenberg's uncertainty principle.

impossible \rightarrow exact \rightarrow position & momentum

$$\Delta x \cdot \Delta p \geq \frac{h}{4\pi}$$

$$\Delta x \cdot \Delta v \geq \frac{h}{4\pi m}$$

$$\% \text{ error in position} = \frac{\Delta x}{x} \times 100$$

Quantum mechanical Model of atom

Quantum numbers

- $n \rightarrow$ principal Q.N. \rightarrow shell
[Energy, size]
- $l \rightarrow$ Azimuthal Q.N. \rightarrow Subshell
[shape, orbital angular momentum = $\sqrt{l(l+1)} \frac{h}{2\pi}$]
 $l = 0, \dots, n-1$ ($l \neq n$)
 $(l=0, 1, 2, 3)$
 $\downarrow \quad \downarrow \quad \downarrow \quad \downarrow$
 $s \quad p \quad d \quad f$
- $m \rightarrow$ Magnetic Q.N. \rightarrow Orbital
[orientation of orbitals]
 $[m = -l \text{ to } +l]$ $[m = 2l+1]$
- $s \rightarrow$ spin Q.N. \rightarrow spin
[spin of e^- , spin angular momentum = $\sqrt{s(s+1)} \frac{h}{2\pi}$ ($s \rightarrow$ sum of all s)]
 $[s = +\frac{1}{2} \text{ or } -\frac{1}{2}]$

Short-cut

Shell	
\rightarrow Subshell $\rightarrow n$	Sub-Shell
\rightarrow Orbital $= n^2$	
$\rightarrow \bar{e} = 2n^2$	
	$\bar{e} = 2(2l+1)$

Rules

Aufbau's rule: $\bar{e} \rightarrow$ filled \rightarrow first \rightarrow Low ENERGY \rightarrow orbitals

Multi e^- species
Energy $\rightarrow n+l$
if $n+l$ is same then low $n =$ low Energy

Single e^- species
Energy $\rightarrow n$
 $1s < 2s = 2p$

Hund's rule: DEGENERATE orbitals \rightarrow filling \rightarrow Single \rightarrow then pairing
same spin

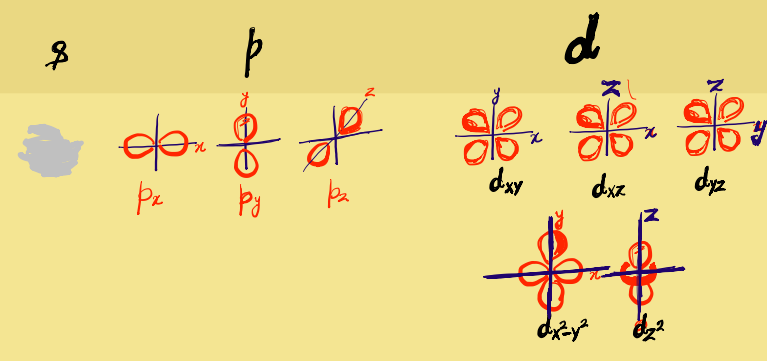
Pauli's rule: Single orbital \rightarrow No same spin

Half filled & fully filled orbital (Cr, Cu)

Extra stable

1. symmetry
2. Exchange energy

Shape of orbital & node

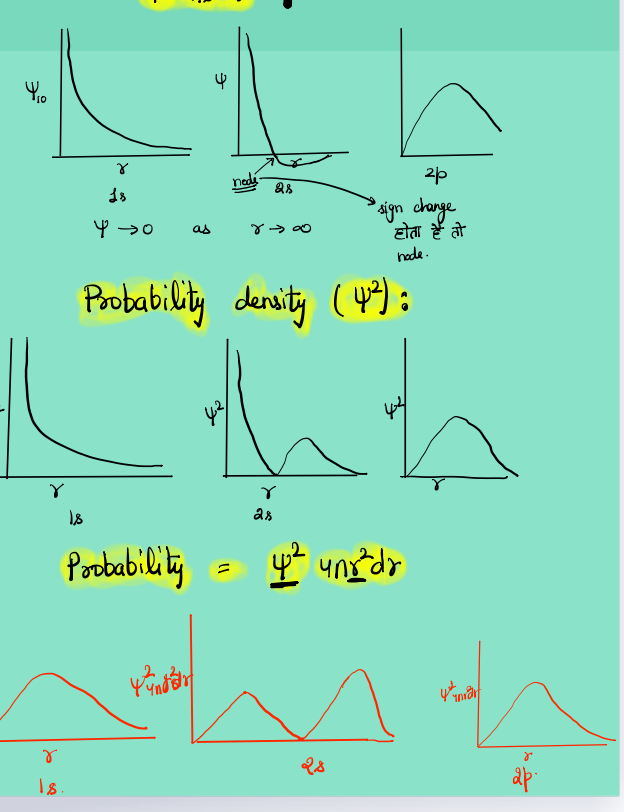


space of No \bar{e} **NODE (n-1)**

planar Node
Nodal plane
Angular Node **l**

Spherical Node
Radial Node **$n-l-1$**

Graph



d_{x^2} d_x

d_{x^2} d_x