

# Atomic Structure -18

## Full-1 [NEET] : Detailed Stepwise Solutions

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Q1. Which set of quantum numbers is not allowed?

Answer: (B)

**Conceptual Approach (Hinglish):** Quantum numbers par basic rules yaad rakho:  $n = 1, 2, 3, \dots$ ; azimuthal  $\ell = 0, 1, \dots, (n - 1)$ ; magnetic  $m = -\ell, \dots, 0, \dots, \ell$ ; spin  $s = \pm \frac{1}{2}$ . Agar  $\ell = n$  aa gaya to invalid.

**Solution (Stepwise):**

- (A)  $n = 2, \ell = 1, m = 0, s = +\frac{1}{2}$  [ $\ell \leq n - 1 = 1$  ok] – allowed  
(B)  $n = 3, \ell = 3, \dots$  [ $\ell$  must be 0, 1, 2 only for  $n = 3$ ] – **not allowed**  
(C)  $n = 4, \ell = 0, m = 0, s = +\frac{1}{2}$  – allowed  
(D)  $n = 5, \ell = 2, m = -1, s = -\frac{1}{2}$  – allowed

Hence, (B) is not allowed.

Q2. For  $n = 4$ , how many orbitals are possible in total?

Answer: (B)

**Conceptual Approach (Hinglish):** Ek shell me total orbitals  $= n^2$ . Bas value put kar do.

**Solution:**  $n = 4 \Rightarrow$  total orbitals  $= 4^2 = 16$ . Option (B).

Q3. Which quantum number determines the shape of the orbital?

Answer: (B)

**Conceptual Approach (Hinglish):** Orbital ki shape azimuthal quantum number  $\ell$  decide karta hai:  $s(\ell = 0)$  spherical,  $p(\ell = 1)$  dumbbell,  $d(\ell = 2)$ ,  $f(\ell = 3)$  etc.

**Solution:** Shape  $\Rightarrow \ell$ . Option (B).

Q4. According to Heisenberg uncertainty principle,  $\Delta x \Delta p$  is of order:

Answer: (C)

**Conceptual Approach (Hinglish):** Exact position & momentum ek saath precise nahin milte. Minimum product  $\Delta x \Delta p \geq \frac{\hbar}{2} = \frac{h}{4\pi}$ .

**Solution:**  $\Delta x \Delta p \sim \frac{h}{4\pi}$ . Option (C).

Q5. The de Broglie wavelength of an electron (mass  $m$ , velocity  $v$ ) is:

Answer: (A)

**Conceptual Approach (Hinglish):** Particle bhi wave jaisa behave karta hai:  $\lambda = \frac{h}{p} = \frac{h}{mv}$  (non-relativistic).

**Solution:**  $\lambda = h/(mv)$ . Option (A).

Q6. Bohr radius of hydrogen atom is proportional to:

Answer: (B)

**Conceptual Approach (Hinglish):** Bohr model:  $r_n = \frac{n^2 a_0}{Z}$ . Hydrogen ke liye  $Z = 1$ , to  $r_n \propto n^2$ .

**Solution:**  $r_n \propto n^2$  (H-atom). Option (B).

(For H-like:  $r_n \propto \frac{n^2}{Z}$ )

Q7. The velocity of electron in  $n$ th Bohr orbit of H-like atom is proportional to:

Answer: (C)

**Conceptual Approach (Hinglish):** Bohr velocity:  $v_n = \frac{Z\alpha c}{n} \Rightarrow v \propto \frac{Z}{n}$ .

**Solution:**  $v \propto Z/n$ . Option (C).

Q8. Energy of an electron in  $n$ th orbit:

Answer: (A)

**Conceptual Approach (Hinglish):** Bohr energy levels:  $E_n = -13.6 \frac{Z^2}{n^2}$  eV.

**Solution:** Exactly matches (A).

Q9. In Bohr's model, ratio of K.E to total energy of electron is:

Answer: (D)

**Conceptual Approach (Hinglish):** Bohr orbit me  $E = \text{T.E} = -\text{K.E}$  and  $\text{P.E} = 2E = -2\text{K.E}$ .  
Isliye  $\frac{\text{K.E}}{\text{T.E}} = \frac{+K}{-K} = -1$ .

**Solution:** Ratio =  $-1$ . Option (D).

Q10. For hydrogen-like species, ionisation energy is proportional to:

Answer: (B)

**Conceptual Approach (Hinglish):** Ionisation energy =  $|E_1| = 13.6Z^2$  eV  $\Rightarrow \propto Z^2$ .

**Solution:**  $\propto Z^2$ . Option (B).

Q11. Which spectral line is obtained when electron jumps  $n = 3 \rightarrow n = 2$  (H)?

Answer: (B)

**Conceptual Approach (Hinglish):**  $n_f = 2$  series is Balmer (visible). First line ( $3 \rightarrow 2$ ) = Balmer- $\alpha$  ( $H\alpha$ ).

**Solution:** Balmer- $\alpha$ . Option (B).

Q12. Rydberg constant is expressed as:

Answer: (A)

**Conceptual Approach (Hinglish):** Rydberg constant for H (in wavenumber):  $R_H \approx 109677 \text{ cm}^{-1}$ .

**Solution:** Option (A).

Q13. The line for transition  $n = 4 \rightarrow n = 2$  belongs to:

Answer: (B)

**Conceptual Approach (Hinglish):** Final  $n = 2 \Rightarrow$  Balmer series. ( $4 \rightarrow 2$  is Balmer- $\beta$ )

**Solution:** Balmer series. Option (B).

Q14. Correct relation among P.E, K.E and T.E of Bohr electron?

Answer: (D)

**Conceptual Approach (Hinglish):** Bohr:  $\text{T.E} = \text{K.E} + \text{P.E}$ ; also  $\text{P.E} = -2\text{K.E}$  and  $\text{K.E} = -\text{T.E}$ .  
Teeno sahi.

**Solution:** All of these. Option (D).

Q15. If  $\lambda_{\text{incident}} < \lambda_0$  (threshold), photoelectric effect:

Answer: (A)

**Conceptual Approach (Hinglish):** Chhoti wavelength  $\Rightarrow$  zyada frequency ( $\nu > \nu_0$ )  $\Rightarrow$  photon energy  $> \phi$ ; emission hota hai.

**Solution:** Occurs. **Option (A).**

Q16. In photoelectric effect, stopping potential depends upon:

Answer: (B)

**Conceptual Approach (Hinglish):**  $eV_s = h\nu - \phi$ . Metal fixed ho to  $V_s$  sirf frequency  $\nu$  par depend karta hai, intensity par nahin.

**Solution:** Frequency of light. **Option (B).**

Q17. According to Planck, energy is emitted/absorbed in:

Answer: (B)

**Conceptual Approach (Hinglish):** Energy continuous nahin, *discrete packets* (quanta/photons) me:  $E = h\nu$ .

**Solution:** Discrete packets. **Option (B).**

Q18. Energy of a photon of wavelength  $\lambda$  is:

Answer: (A)

**Conceptual Approach (Hinglish):** Photon energy:  $E = h\nu = \frac{hc}{\lambda}$ .

**Solution:**  $E = hc/\lambda$ . **Option (A).**

Q19. Electromagnetic waves consist of:

Answer: (C)

**Conceptual Approach (Hinglish):** EM wave = time-varying, mutually perpendicular  $\vec{E}$  aur  $\vec{B}$  fields, propagation direction ke perpendicular.

**Solution:** Oscillating electric & magnetic fields. **Option (C).**

Q20. Which of the following has maximum frequency?

Answer: (C)

**Conceptual Approach (Hinglish):** EM spectrum (increasing  $\nu$ ): Radio  $<$  Microwave  $<$  IR  $<$  Visible  $<$  UV  $<$  X-rays  $<$  Gamma. In options me X-rays sabse zyada.

**Solution:** X-rays. **Option (C).**

### Rapid Facts (Bohr & Photon):

- $r_n = \frac{n^2 a_0}{Z}$ ,  $v_n = \frac{Z\alpha c}{n}$
- $E_n = -13.6 \frac{Z^2}{n^2} \text{ eV}$
- T.E = K.E + P.E, P.E =  $-2$ K.E, K.E =  $-$ T.E
- $\lambda = \frac{h}{mv}$  (de Broglie)
- $E_\gamma = \frac{hc}{\lambda} = h\nu$
- Heisenberg:  $\Delta x \Delta p \geq \frac{h}{4\pi}$
- Series: Lyman ( $n_f = 1$ ), Balmer ( $n_f = 2$ ), Paschen ( $n_f = 3$ ), ...